

1. Determine the transformation represented by each matrix (some are compositions). *(If you can't "see it" right off, get some graph paper, make a scalene triangle, create a 3x2 matrix of the vertex coordinates, multiply by the transformation matrix and analyze the image. DO NOT JUST COPY FROM YOUR NOTES!)*

$$a) \begin{bmatrix} -1 & 0 \\ 0 & 1 \end{bmatrix}$$

$$b) \begin{bmatrix} 0 & -1 \\ -1 & 0 \end{bmatrix}$$

$$c) \begin{bmatrix} 0 & 1 \\ -1 & 0 \end{bmatrix}$$

$$d) \begin{bmatrix} 3 & 0 \\ 0 & -3 \end{bmatrix}$$

2. Create a 2x2 matrix that corresponds to each of the following transformations.

$$a) R_{180^\circ}$$

$$b) R_{-90^\circ}$$

$$c) D_{x\text{-axis}} \times 2$$

$$d) r_{y=-x}$$

3. Perform the indicated composition by multiplying the relevant transformation matrices and then analyzing the result. *(Remember, compositions proceed from right to left, but the matrices should be multiplied from left to right).*

$$a) r_{x\text{-axis}} \circ R_{180^\circ}$$

$$b) R_{90^\circ} \circ r_{y\text{-axis}}$$

$$c) r_{y\text{-axis}} \circ r_{y\text{-axis}}$$

4. A triangle has coordinates A(2,1); B(7,1); C(7,4). Find the new coordinates after a rotation of  $140^\circ$ .

5. Prove using matrices and angle addition formulas that  $R_\alpha \circ R_\beta = R_{\alpha+\beta}$

6. Write a matrix for each transformation and then multiply to find the composition.

a)  $R_{60^\circ} \circ r_{y=x}$

b)  $R_{45^\circ} \circ r_{y\text{-axis}}$